

## Les Cartes

① a)  $\frac{1}{4}$    b)  $\frac{1}{13}$    c)  $\frac{3}{13}$    d)  $\frac{3}{4}$    e)  $\frac{1}{26}$

② a)  $\frac{13}{52} \times \frac{12}{51}$  ou  $\frac{C_{13}^2}{C_{52}^2} \approx 0,0588$

b)  $\frac{13}{52} \times \frac{13}{51} \times 2$  ou  $\frac{13 \times 13}{C_{52}^2} \approx 0,1275$

③ a)  $\frac{C_{13}^5}{C_{52}^5} = \frac{1287}{2598960} \approx 0,000495$

b)  $\frac{C_4^2 \cdot C_{48}^3}{C_{52}^5} = \frac{6 \times 17296}{C_{52}^5} \approx 0,03993$  (2 valets et 3 "non-valets")

c)  $\frac{C_4^4 \times C_{48}^1}{C_{52}^5} = \frac{1 \times 48}{C_{52}^5} \approx 0,0001847$  (4 as et 1 "non-as")

d)  $1 - \frac{C_{48}^5}{C_{52}^5} = 1 - \frac{1712304}{C_{52}^5} \approx 0,34116$  (Contrainte de "anonyme Danié")

e)  $\frac{C_4^3 \times C_4^2}{C_{52}^5} = \frac{24}{C_{52}^5} \approx 0,000009234$

f)  $\frac{C_4^1 \times C_{48}^4}{C_{52}^5} = \frac{4 \times 194580}{C_{52}^5} \approx 0,29947$  (1 As et 4 "non-As")

g)  $\frac{C_4^1 \times C_4^2 \times C_{44}^2}{C_{52}^5} = \frac{4 \times 6 \times 946}{C_{52}^5} \approx 0,008736$   
(1 valet, 2 rois et 2 cartes ni "valet" ni "roi").

④  $\frac{1}{C_{52}^{10}} \approx 6,32 \cdot 10^{-11}$